

Saitechinfo NEET-JEE Academy



The substitution method is a powerful technique in solving integrals, especially when dealing with complex functions. Here's a step-by-step explanation of how to use the substitution method:

Steps to Solve Integrals by Substitution Method:

- 1. Identify the Function to Substitute:** Look for a function within the integral whose derivative (or a multiple of the derivative) is also present. This function is often denoted by u .
- 2. Substitute:** Let $u = g(x)$, where $g(x)$ is the function you've identified. Then, calculate $\frac{du}{dx} = g'(x)$, and rearrange this as $du = g'(x)dx$.
- 3. Rewrite the Integral:** Replace all occurrences of x -dependent terms in the integral with u -dependent terms. This includes replacing dx with $\frac{du}{g'(x)}$ based on the substitution.
- 4. Simplify the Integral:** Now, the integral should be in terms of u , making it easier to evaluate.
- 5. Integrate:** Solve the integral with respect to u .
- 6. Back-Substitute:** After finding the integral in terms of u , substitute back $u = g(x)$ to express the solution in terms of x .
- 7. Add the Constant of Integration:** Don't forget to add the constant C , since the process of integration typically involves indefinite integrals.

Example:

Let's go through an example to illustrate the substitution method.

Integral: $\int (2x)e^{x^2} dx$

- 1. Identify the substitution:** Notice that e^{x^2} is the exponential of x^2 , and its derivative is $2x$. So, let's choose $u = x^2$.
- 2. Substitute:** If $u = x^2$, then $du = 2x dx$. Now the integral becomes:

$$\int e^u du$$

- 3. Simplify and integrate:** The integral of e^u is simply e^u . So we get:

$$e^u + C$$

4. **Back-substitute:** Substitute $u = x^2$ back into the solution:

$$e^{x^2} + C$$

Thus, the integral $\int (2x)e^{x^2} dx$ simplifies to: $e^{x^2} + C$

This is the result after applying the substitution method.

If you have specific integrals or need more examples, feel free to ask!



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