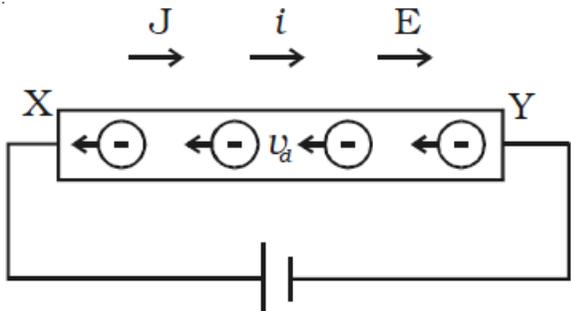
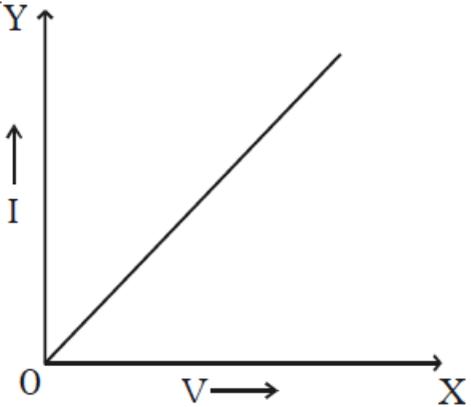
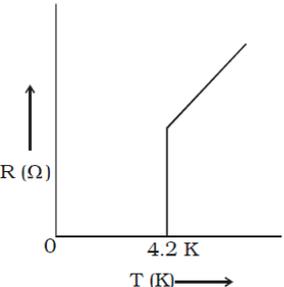


#	Concept	Graphics / Equations
1.	Electric current Unit: A = Cs <sup>-1</sup> Unidirectional flow of electric charge.	$I = \frac{q}{t}$ $I(t) \equiv \lim_{\Delta t \rightarrow 0} \frac{\Delta Q}{\Delta t}$
2.	Electric current in a conductor Electrons will drift because of electric field, E.	
3.	Drift velocity and mobility XY – conductor carrying current XY connected to battery E = steady electric field is established *In absence of E, the free electrons move randomly in all possible directions. – No current. * In presence of E, the free electrons at the end Y, experience a force, <b>F = eE</b> . e=charge of electron	
4.	Drift velocity and electron mobility $\tau$ is the average time between two successive collisions a = acceleration of electrons Drift velocity - the velocity with which free electrons get drifted towards the positive terminal Unit of ionic mobility per unit electric field is given by $m^2V^{-1}s^{-1}$	$v_d = a\tau$ $F = ma$ Hence $a = \frac{eE}{m}$ $\therefore v_d = \frac{eE}{m} \tau = \mu E$ $\mu = \frac{e\tau}{m} \text{ is the mobility}$

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5.	<p>Current density, J                  A = area of cross section of the conductor                  q=ne                  t=time of passage of current</p>	$\mathbf{J} = \frac{(q/t)}{A} = \frac{I}{A}$
6.	<p>Relation between current and drift velocity  <math>v_d</math>=drift velocity                  n=number of free electrons                  velocity = distance / time                  L = length of the conductor</p>	$I = nAev_d$ <p>The number of conduction electrons in the conductor = nAL                  The charge of an electron = e                  The total charge passing through the conductor q = (nAL) e                  Time in which the charges pass through the conductor,  <math>t=L/v_d</math></p> $, I = \frac{q}{t} = \frac{(nAL)e}{(L/v_d)}$ $I = nAev_d$
7.	<p>Current density (J) in terms of drift velocity</p>	$\mathbf{J} = \frac{I}{A}, \text{current density}$ $\frac{I}{A} = nev_d$ $\mathbf{J} = nev_d$
8.	<p>Ohms law</p>	$V = IR \quad \text{or} \quad R = \frac{V}{I}$

	$I = nAev_d$ <p>But <math>v_d = \frac{eE}{m} \cdot \tau</math></p> $\therefore I = nAe \frac{eE}{m} \tau$ $I = \frac{nAe^2}{mL} \tau V \quad \left[ \because E = \frac{V}{L} \right]$ <p><math>\frac{mL}{nAe^2 \tau}</math> is a constant called electrical resistance (R).</p> $I \propto V$ $I \propto V \quad \text{or} \quad I = \frac{1}{R} V$ $V = IR \quad \text{or} \quad R = \frac{V}{I}$	
<p>9.</p>	<p>Resistance of a conductor, R (Ohm)                  Conductance = 1/R                  Unit of conductance = mho or ohm<sup>-1</sup>                  l=length of the conductor                  A=area of cross section of the conductor  <math>\rho</math> is called specific resistance or electrical resistivity of the material of the conductor.</p>	$R \propto \frac{l}{A} \quad \text{or} \quad R = \frac{\rho l}{A}$
<p>10.</p>	<p>Conductivity                  Unit                  mho m<sup>-1</sup> (<math>\Omega^{-1} \text{ m}^{-1}</math>)</p>	$\sigma = \frac{1}{\rho}$
<p>11.</p>	<p>Classification of materials in terms of resistivity</p>	<ul style="list-style-type: none"> <li>• Conductors (silver, copper, aluminium, iron) – resistivity in the order of 10<sup>-8</sup></li> <li>• Insulators (glass, wood, quartz) ( 10<sup>10</sup> to 10<sup>16</sup>)</li> <li>• Semiconductors (germanium, silicon) ( 9.46 – 2300)</li> </ul>

		• Superconductors
12.	<p>Super conductivity</p> <p>*It is the ability of certain metals, their compounds and alloys to conduct electricity with zero resistance at very low temperature.</p> <p>BCS Theory</p> <p>*Bardeen, Cooper and Schrieffer explained this theory of super conductor.</p> <p>* Critical temperature – temperature at which electrical resistivity of the material drops suddenly to zero. Also called transition temperature. Changes to super conductor from normal conductor.</p>	 <p>(i) The electrical resistivity drops to zero.</p> <p>(ii) The conductivity becomes infinity</p> <p>(iii) The magnetic flux lines are excluded from the material.</p>
13.	Applications of super conductors	<ul style="list-style-type: none"> <li>• Super conducting generator with the smallest size and weight</li> <li>• Super conducting magnets to levitate trains</li> <li>• Super conducting magnetic propulstion to launch satellites into orbits.</li> <li>• High effieciency of ore separation by super magnetic separation method</li> <li>• Efficient transmission lines</li> <li>• Memory or storage elements in computers can be enhanced.</li> </ul>